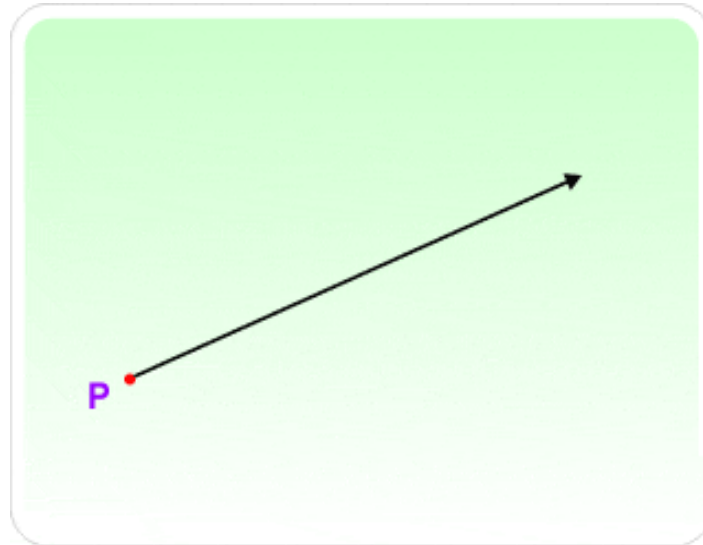
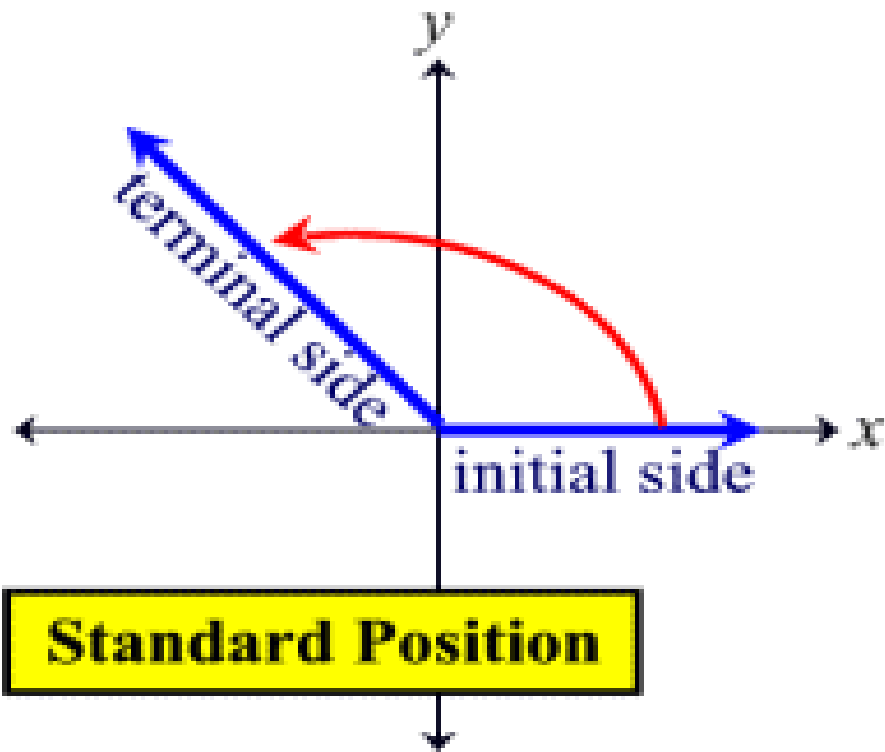
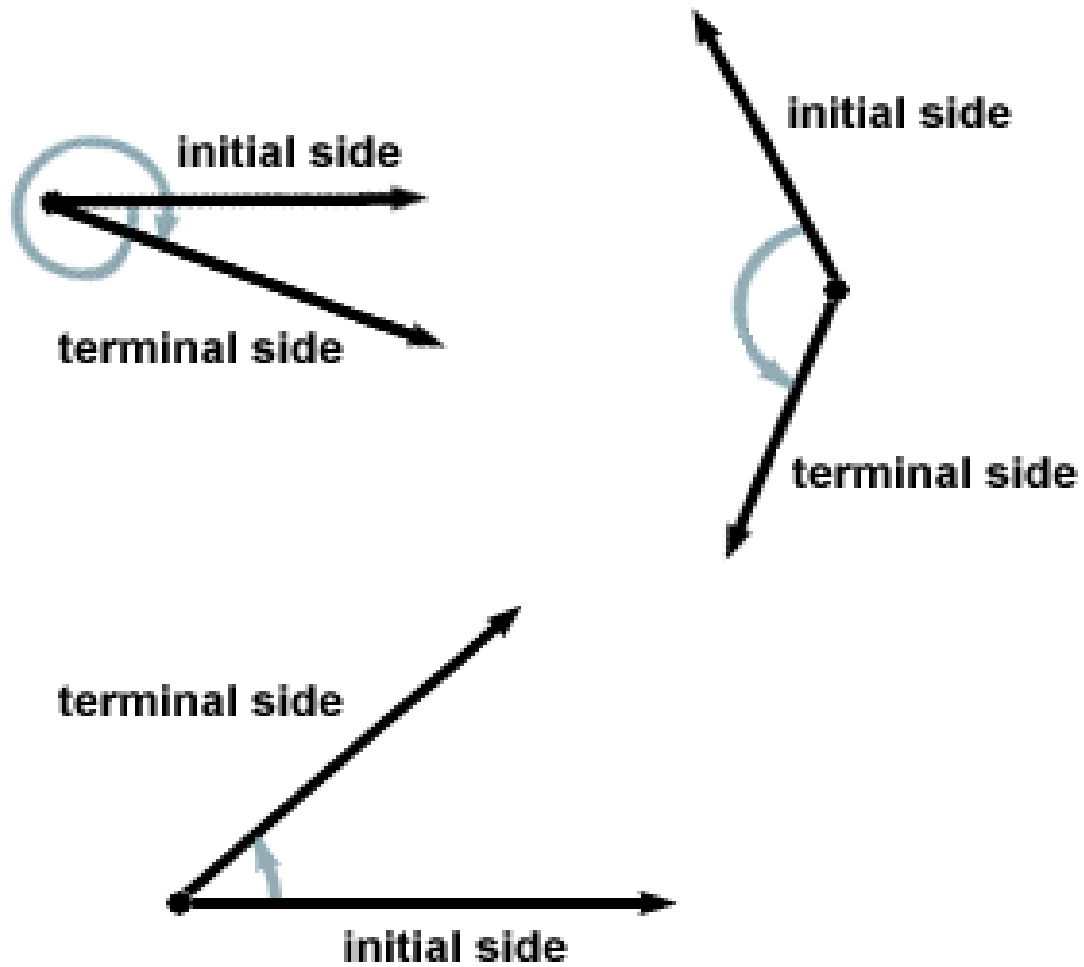
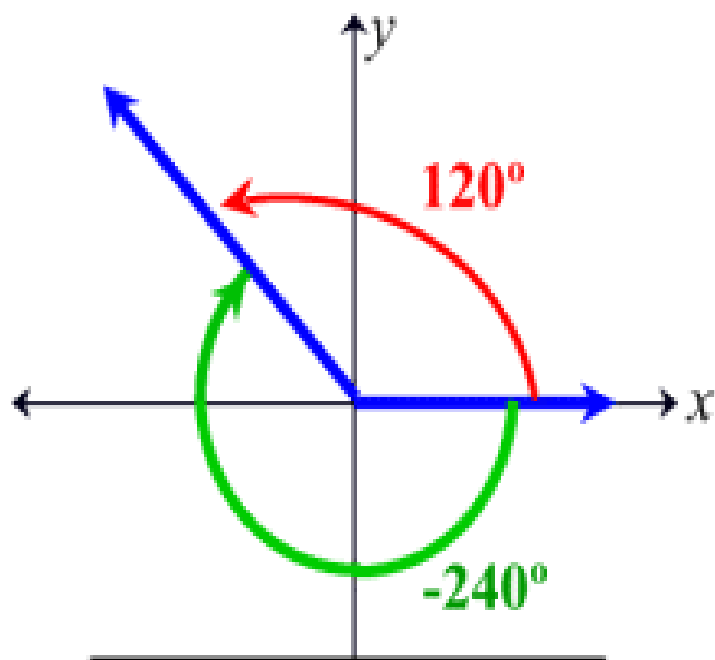


Ray?





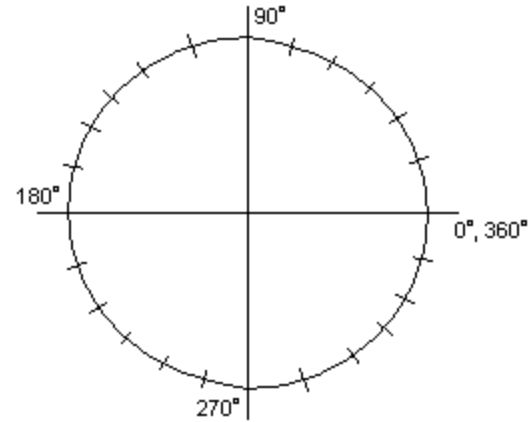
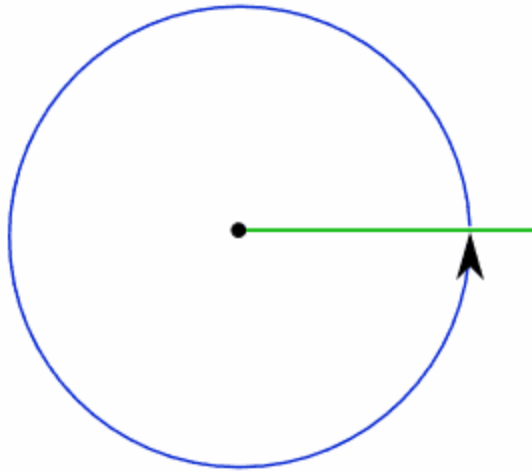




Coterminal Angles







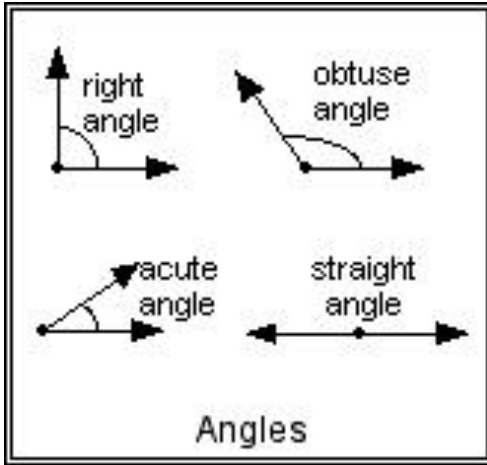
One Revolution = **360** °

$$\mathbf{360}^{\circ} = 2\pi$$

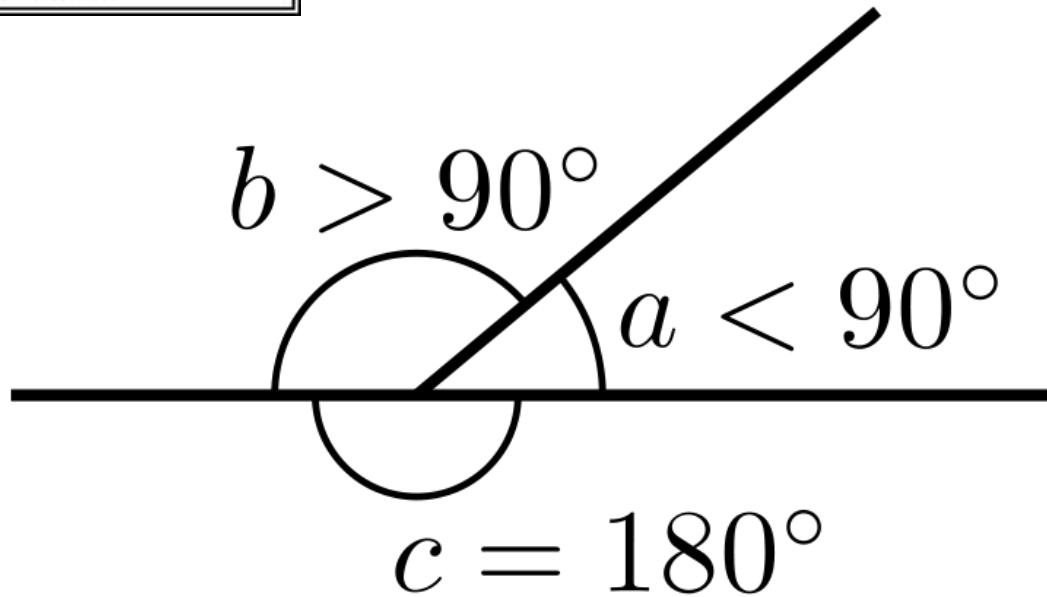
Degrees vs. Radians

****Always check the MODE on your calculator!!**

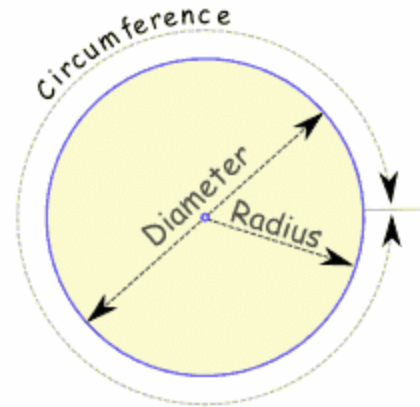
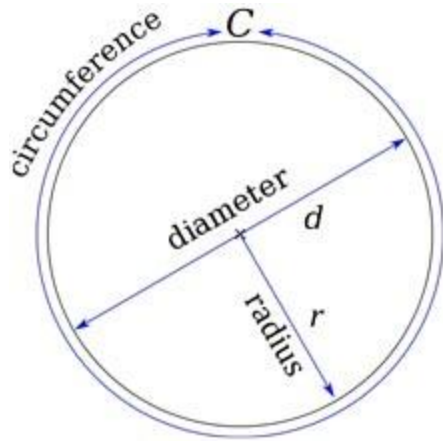
$$\mathbf{1^{\circ} = 60' = 3600''}$$



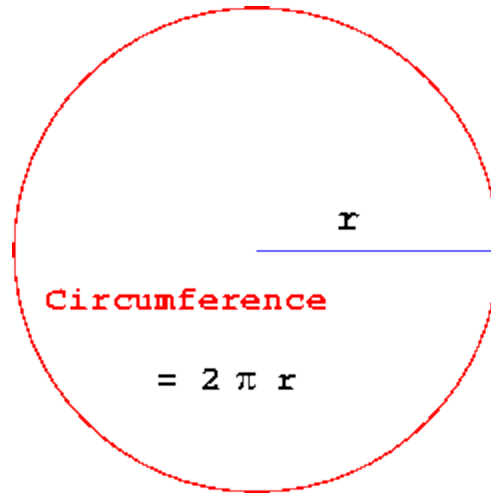
Types of Angles





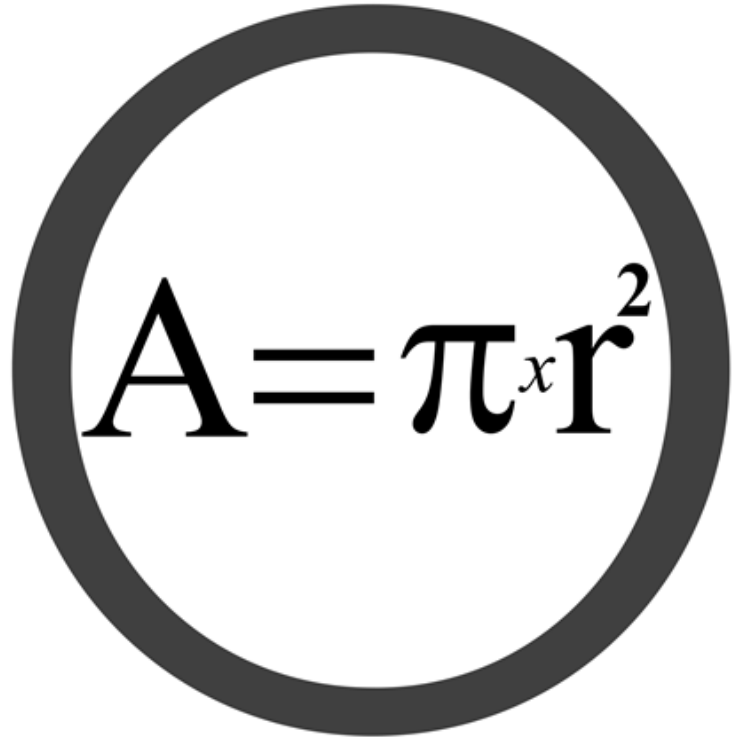


$$\frac{\text{Circumference}}{\text{Diameter}} = \pi = 3.14159\dots$$

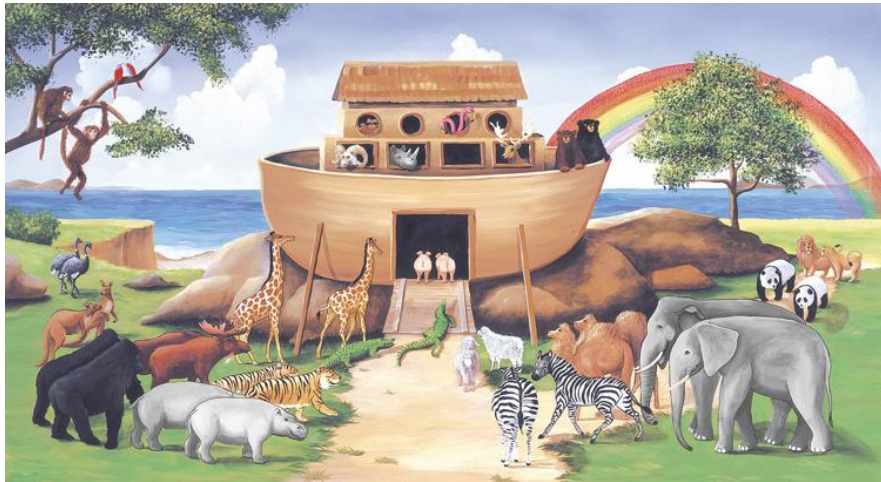




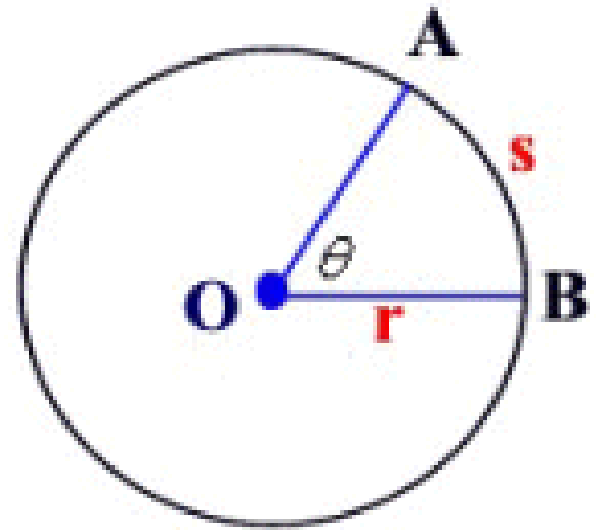
$$A = \pi r^2$$



arc?

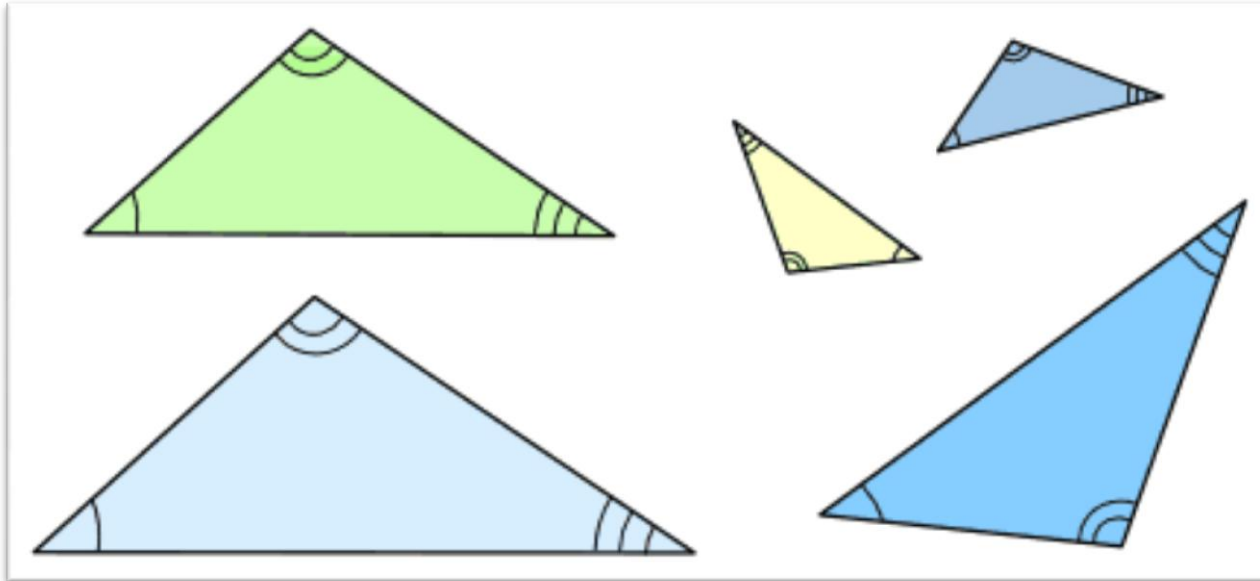


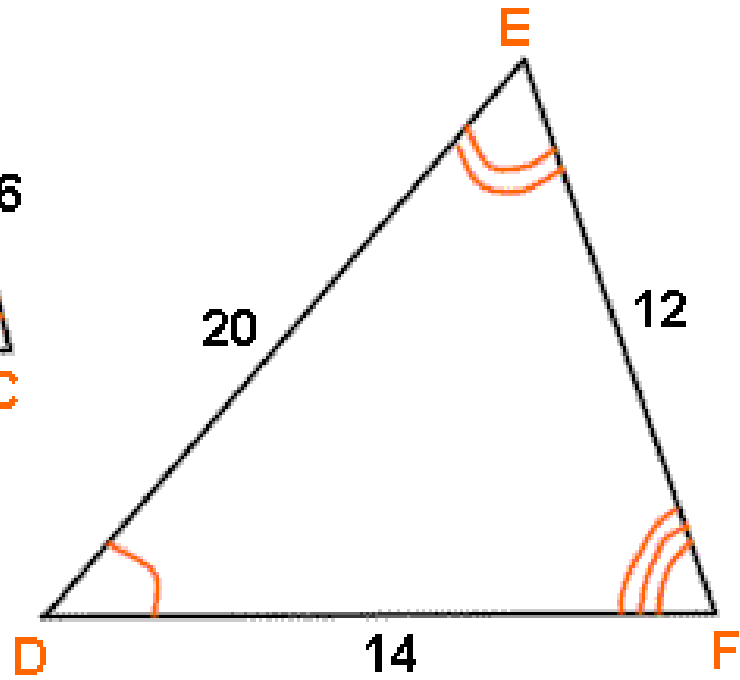
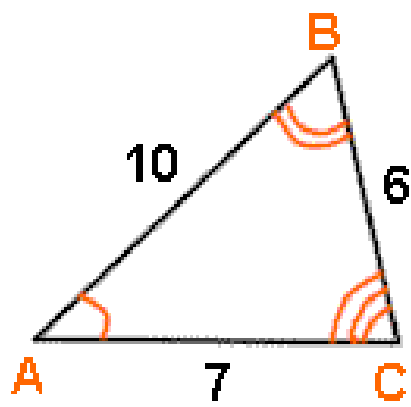
Noah's Ark

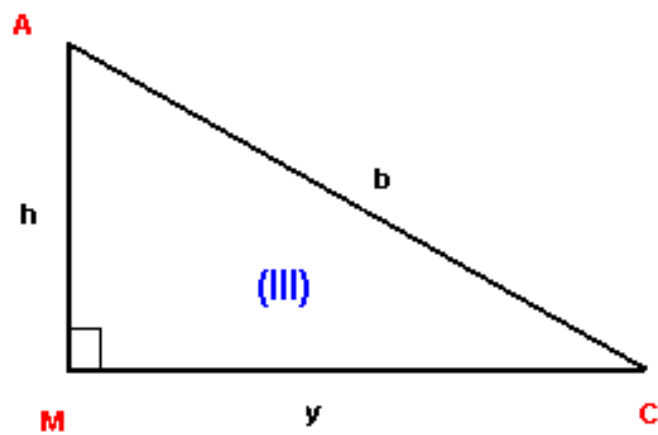
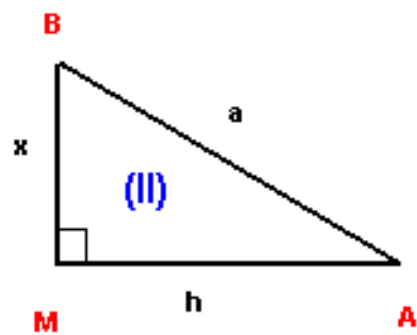
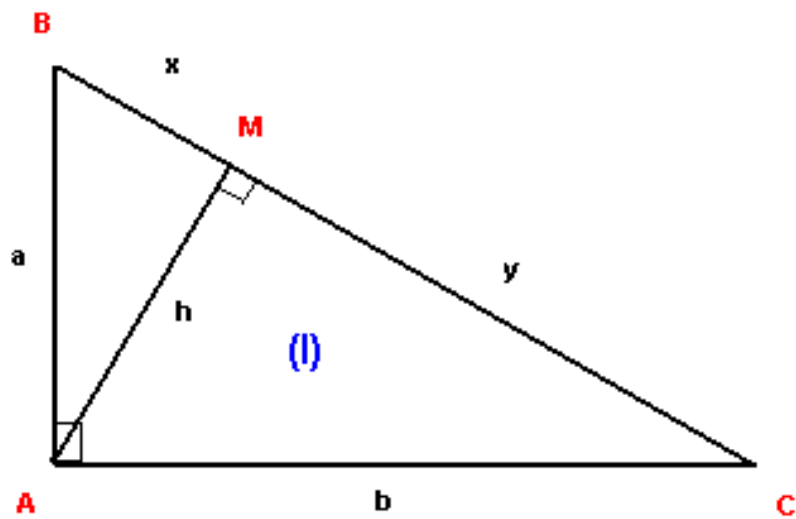


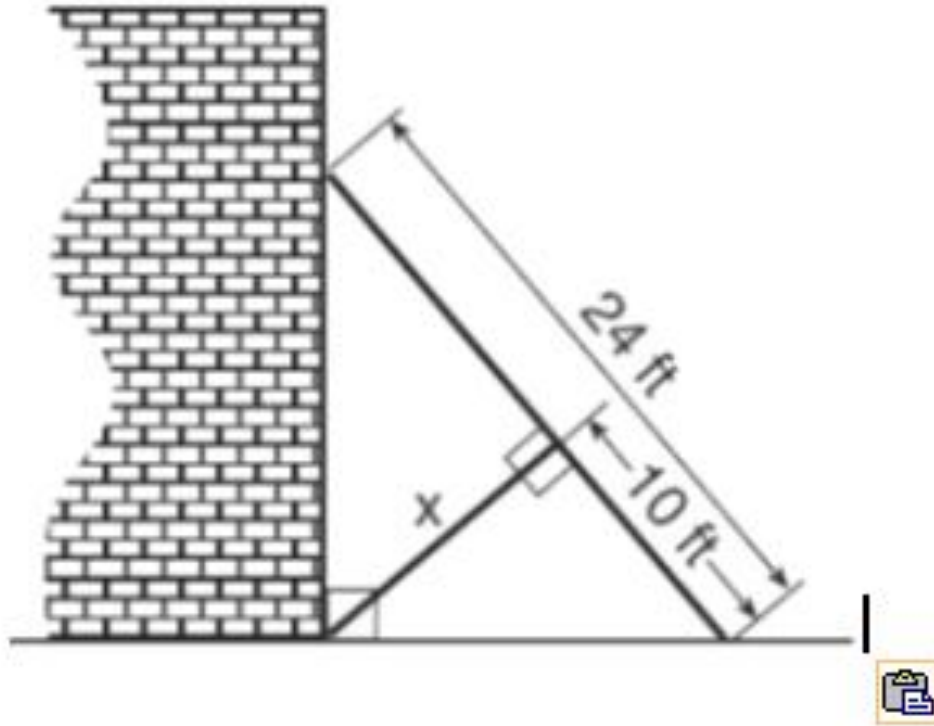
The subtended arc.....

Similar Triangles



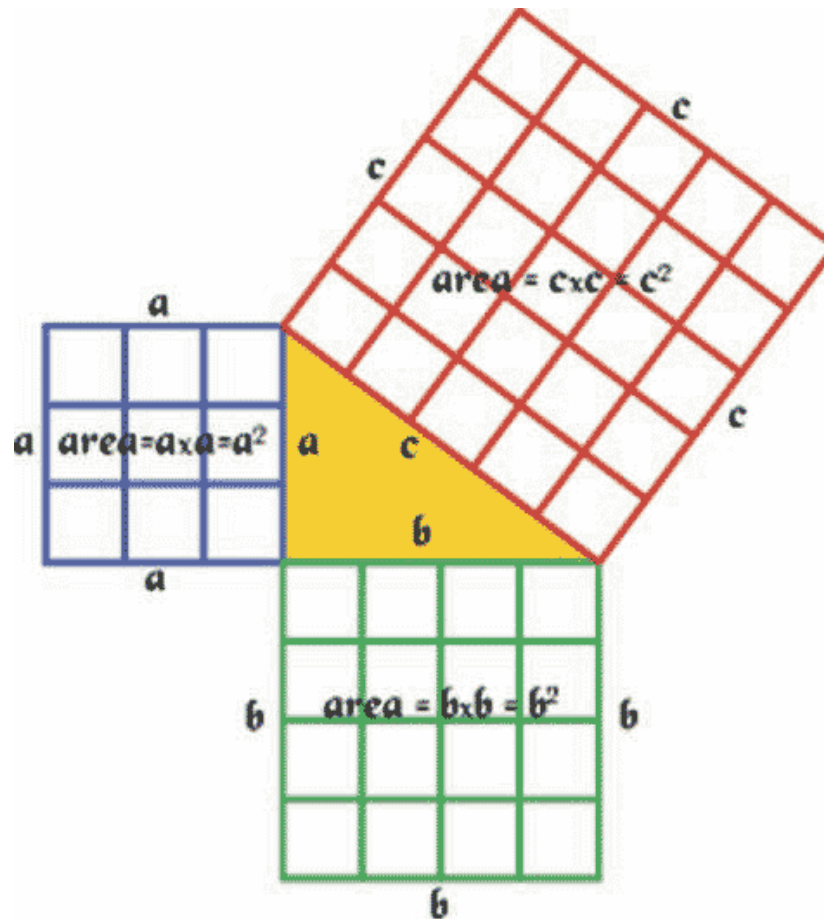






With a partner:
Using this picture, create a problem and solve it.

Pythagorean Theorem



Pythagorean Theorem: $c^2 = a^2 + b^2$

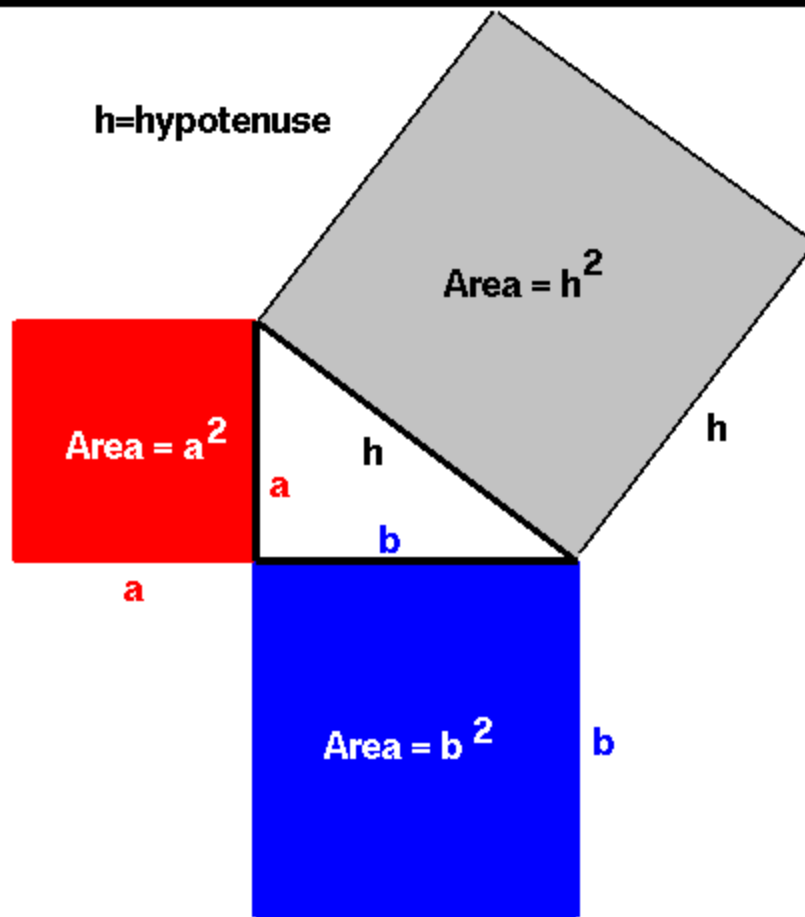


Pythagorean Theorem

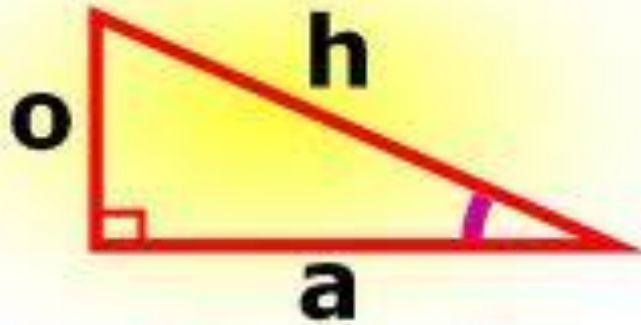


For any right triangle with sides a and b and hypotenuse h , the square of the hypotenuse is equal to the sum of the squares of the other two sides.

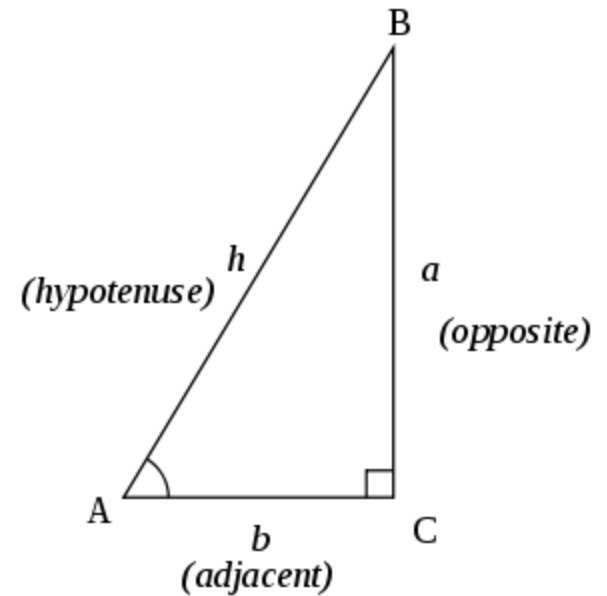
$$h^2 = a^2 + b^2$$



Trigonometry



Soh Cah Toa



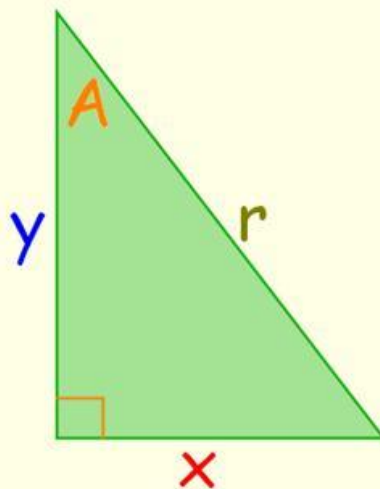
Introducing...

The Chief!



Sine
Opposite
Hypotenuse
Cosine
Adjacent
Hypotenuse
Tangent
Opposite
Adjacent

Trig Function Ratios



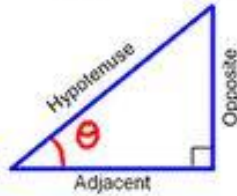
$$\sin A = \frac{x}{r}$$

$$\cos A = \frac{y}{r}$$

$$\tan A = \frac{x}{y}$$

Geometry EETT Grant

Right Triangle Trigonometry



$$\text{Sine} = \frac{\text{Opposite}}{\text{Hypotenuse}}$$

$$\text{Cosine} = \frac{\text{Adjacent}}{\text{Hypotenuse}}$$

$$\text{Tangent} = \frac{\text{Opposite}}{\text{Adjacent}}$$

$$\text{Cosecant} = \frac{\text{Hypotenuse}}{\text{Opposite}}$$

$$\text{Secant} = \frac{\text{Hypotenuse}}{\text{Adjacent}}$$

$$\text{Cotangent} = \frac{\text{Adjacent}}{\text{Opposite}}$$

$$\sin \theta = \frac{\text{Opposite}}{\text{Hypotenuse}}$$

$$\cos \theta = \frac{\text{Adjacent}}{\text{Hypotenuse}}$$

$$\tan \theta = \frac{\text{Opposite}}{\text{Adjacent}}$$

$$\csc \theta = \frac{1}{\sin \theta}$$

$$\sec \theta = \frac{1}{\cos \theta}$$

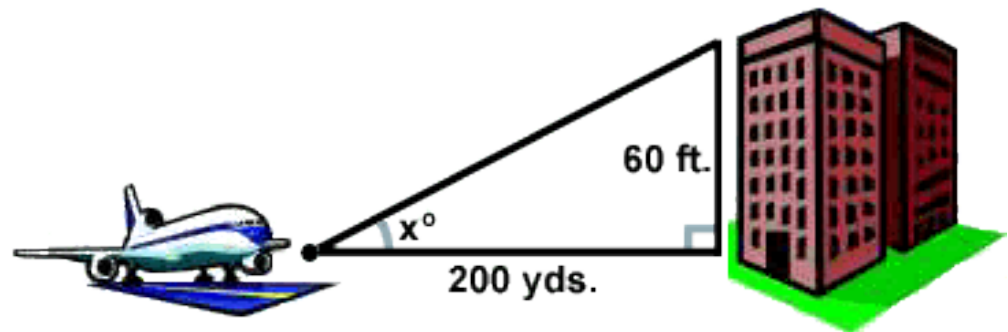
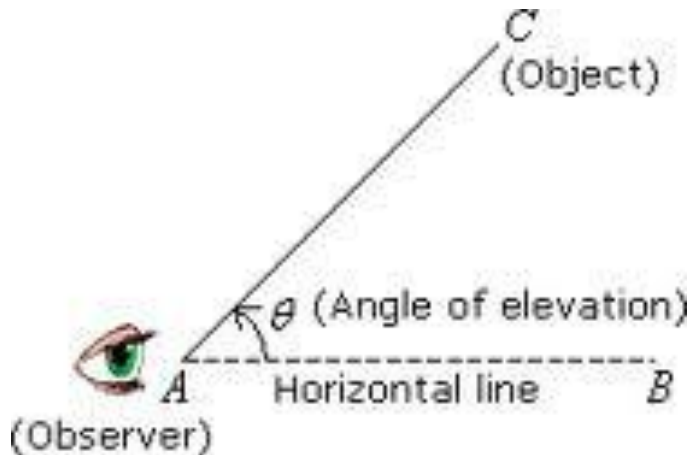
$$\cot \theta = \frac{1}{\tan \theta}$$

Problem 1:

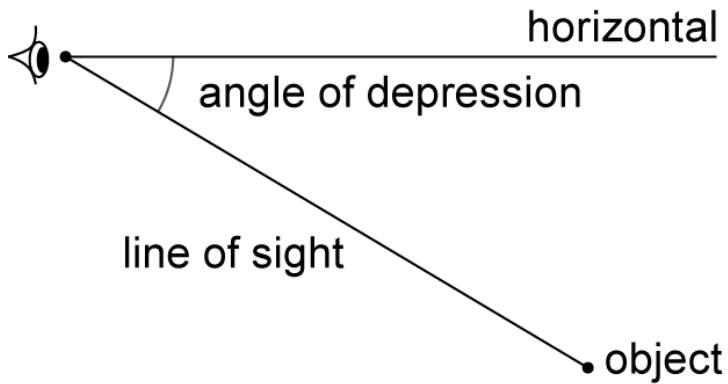
An 18ft. Ladder is leaning against a house. It touches the bottom of a window that is 14 ft 6in. above the ground. What is the measure of the angle that the ladder forms with the ground?

How far is the base of the ladder from the building?

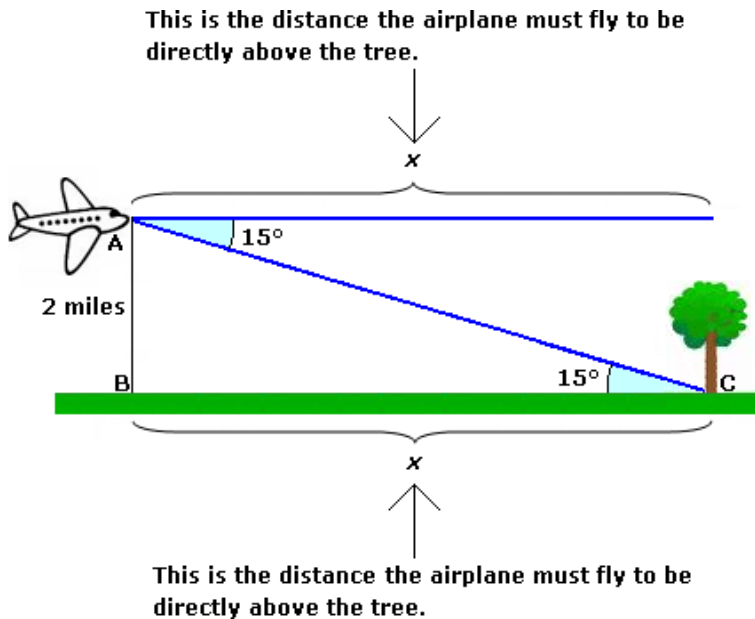
Angle of Elevation



In the above picture, what needs to be the Airplane's angle of elevation when it leaves the runway to clear the building?

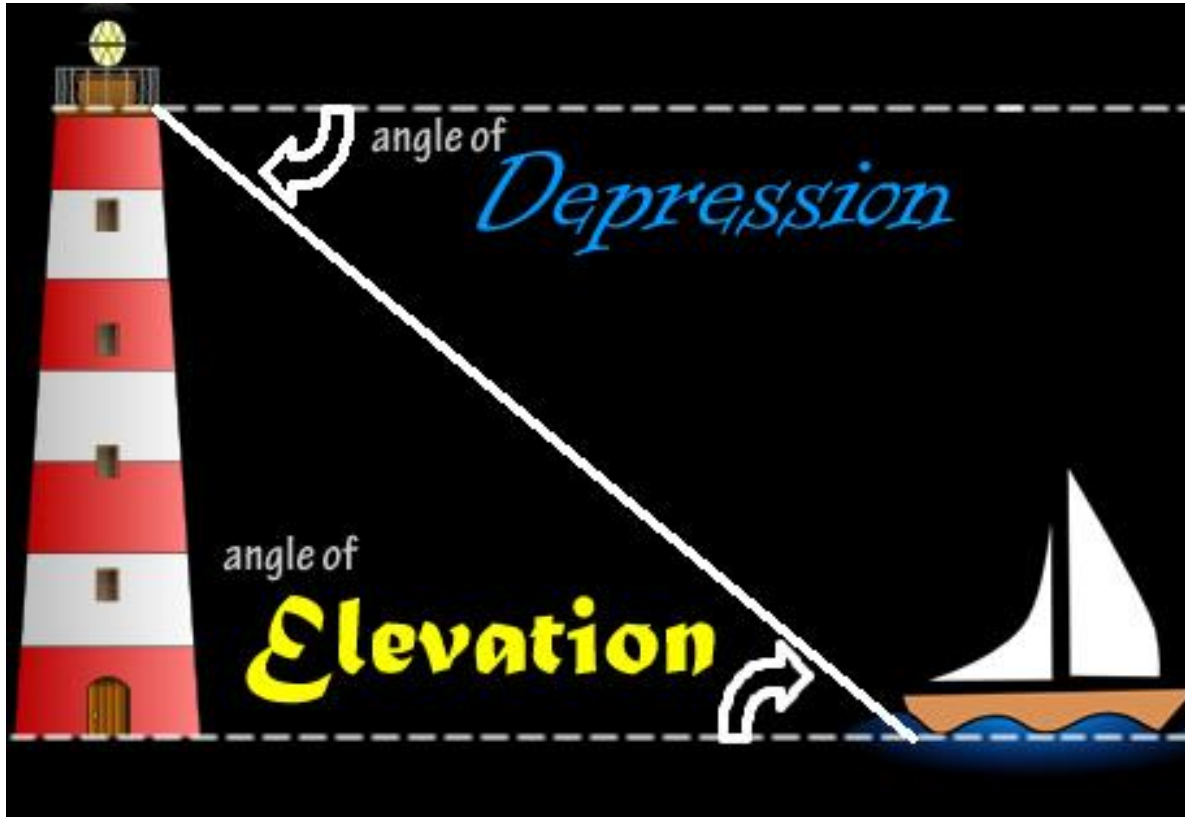


Angle of Depression

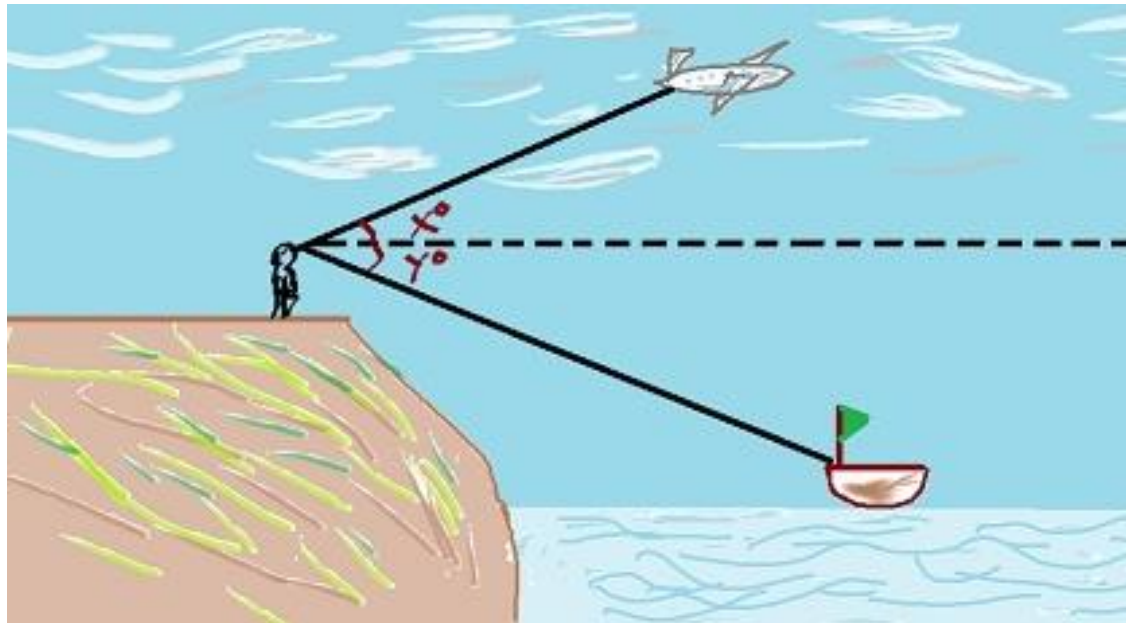


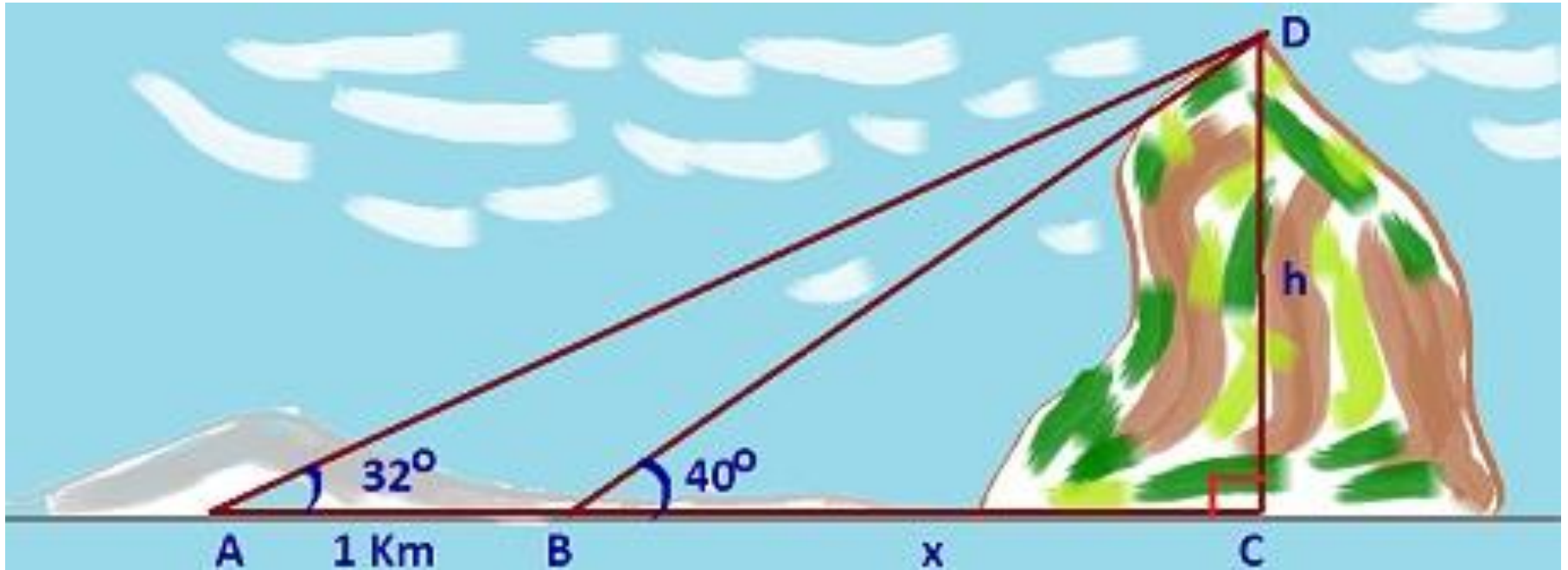
Example:

An airplane is flying 2 miles above the ground, and it continues at this altitude. How far will the plane need to fly to be directly above the tree? (Use the illustration to the left.)



Which is it?
Angle of elevation or Angle of depression





Use the above picture to solve for h and x .

Hope you
enjoyed the
Chapter 1 slides.

Thanks:

www.mathisfun.com

www.mathcaptain.com